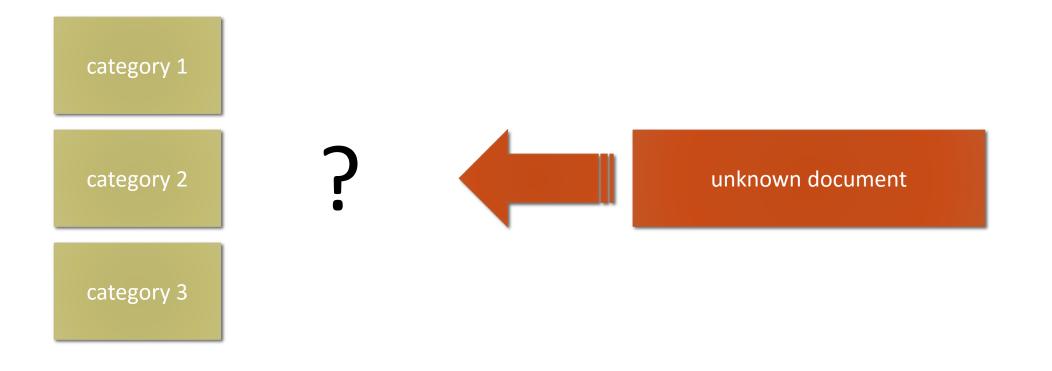
Augmenting Naive Bayes Classifiers with Statistical Language Models

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Naive Bayes classifier



 $P(c|d) = P(c) \cdot \frac{P(d|c)}{P(d)}$ $d = (v1, v2, v3 \dots)$

$$c^* = \arg \max_{c \in C} \left\{ P(c) \cdot \prod P(v_j | c) \right\}$$

given:

 $-v_j$ are independant

-P(d) is constant

Statistical n-grams

-measures probability of a token given the tokens before

-Markov independance: only the last n-1 tokens are relevant

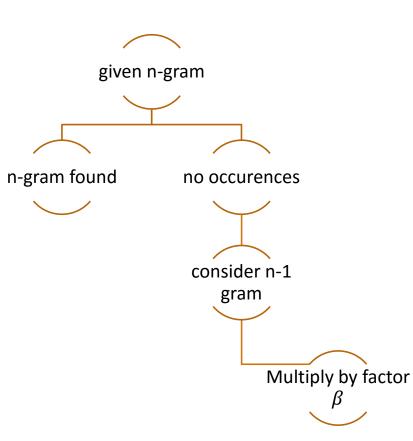


Statistical n-grams

$$P(w_i|w_{i-n+1}\dots w_{i-1}) = \frac{\#(w_{i-n+1}\dots w_i)}{\#(w_{i-n+1}\dots w_{i-1})}$$

What to do if w_i never occurs?

Back off model:



How to choose
$$\beta$$
?

$$\beta(w_{i-n+1} \dots w_{i-1}) = \frac{1 - \sum_{x:\#(w_{i-n+1} \dots w_{i-1}x) > 0} P(x|w_{i-n+1} \dots w_{i-1})}{1 - \sum_{x:\#(w_{i-n+1} \dots w_{i-1}x) > 0} P(x|w_{i-n+2} \dots w_{i-1})}$$

Smoothing

Absolute:

$$P(w_i|w_{i-n+1}\dots w_{i-1}) = \frac{\#(w_{i-n+1}\dots w_i) - b}{\#(w_{i-n+1}\dots w_{i-1})}$$

Linear:

$$P(w_i|w_{i-n+1}\dots w_{i-1}) = \left(1 - \frac{n_1}{T}\right) \frac{\#(w_{i-n+1}\dots w_i)}{\#(w_{i-n+1}\dots w_{i-1})}$$

Conclusion

$$c^* = \arg \max_{c \in C} \left\{ P(c) \cdot \prod_{i} P_c(w_i | w_{i-n+1} \dots w_{i-1}) \right\}$$

Consider all n-grams in test data and multiply the probs

Greek authorship attribution

data set

Training data

• 10 authors

• 10 texts each

 Same 10 authors

Test data

• 10 texts each

profile based approach

Results (greek authorship attribution)

char level models:

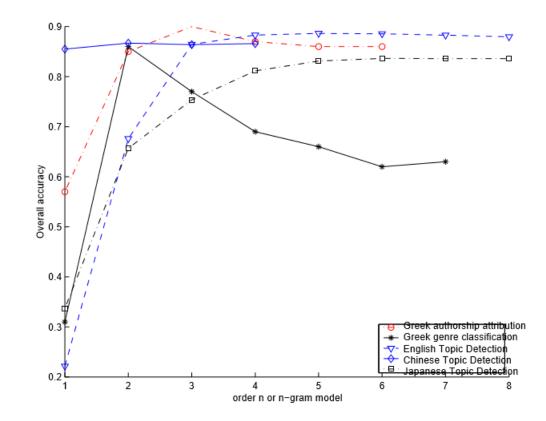
n=1, absolute smoothing: 47% (paper: 57%)

world level models:

n=1, absolute smoothing: 67% (paper: 96%)n=2, absolute smoothing: 92% (paper: 96%)n=1, linear smoothing: 66% (paper: 96%)

good results for long texts

n-gram size



Points of interest

- Which probability do we assign, if a unigram does not exist in training data?
 - Add one to count
- Options to reduce computation time
 - Multicore
- The algorithm seems to work with just taking word lenght into consideration
 - approx. 50% accuracy